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Balls in a metric space

Definition. Balls in metric space (M, d_M)

A ball of radius $r > 0 \in \mathbb{R}$ centered at $x \in M$ is the set

$$B_{d_M}(r, x) := \{x : d_M(x, a) < r\}$$

called the r -ball *centered* at x .

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