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Closed aspherical manifolds

(Borel conjecture) Any homotopy equivalence between closed aspherical (topological) manifolds is homotopic to a homeomorphism.

[1]

True for classes of following closed aspherical manifolds

- connected, closed aspherical 2-manifolds
- closed hyperbolic manifolds

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1. [farrell10_p2](#) ↔