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Space of probability measures

Definition. Space of probability measures

$(X, \mathcal{A}_X, \mu)$ be a probability space then

$$\mathcal{P}(X, \mathcal{A}_X, \mu) \subseteq L^1(X, \mathcal{A}_X, \mu)$$

is the set of all probability measures on $(X, \mathcal{A}_X, \mu)$

Definition. Relative information entropy

$$I : \mathcal{P}(X) \times \mathcal{P}(X) \rightarrow \mathbb{R}$$
$$I(p, q) := \int_X p(x) \log \left(\frac{p(x)}{q(x)} \right)$$

[Manifold of probability measures](#)

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- [structures based on sets](#)
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