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Knot and link diagrams on $\mathbb{R}^2$

Definition. Knot diagrams on $\mathbb{R}^2$

An **polygonal knot diagram** is a tuple

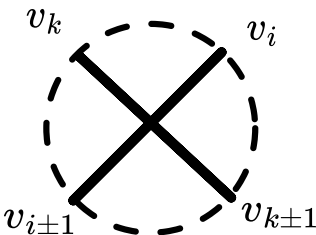
$$D := ((v_1, \dots, v_n), c(D) \rightarrow l(D))$$

where $(v_1, \dots, v_n)$ is a finite sequence of points on $\mathbb{R}^2$ upto

- an even permutation, where it is called **oriented knot diagram**
- an even permutation or reversing the order, called **unoriented knot diagram**

such that

- the set of lines $l(D) := \{\overline{v_i v_{i+1 \bmod n}} : 1 \leq i \leq n\}$ only intersects in the manner



called **crossings**

- whose set is denoted by $c(D)$
- where for each such crossing there is a particular pair of lines $c(D) \setminus \text{ting}$ which is *undercrossing* and the other being the *overcrossing* denoted by



- an **arc** of a diagram is the sequence of lines that starts with an *undercrossing* and ends at an *undercrossing* whose set is denoted $a(D)$

It is equivalent to a *4-valent graph with an [[sett.graph.theory and knot diagrams theory logically separate.

Definition. Definition

A **link diagram** L is a finite set of such sequences.

- alternating knot diagram
- reduced alternating knot diagram
- Reidemeister moves
- crossing number $|c(D)|$
- unknotting number $u(D)$
- 3-colorings $\tau_3(D)$
- connected sum

Current note has 0 direct children and 0 total descendants.

- [stem](#)
 - [Knots](#)
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And it has 3 siblings.

- [stem](#)
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