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Holomorphic vector bundles on $\mathbb{C}P^1$

(Birkhoff–Grothendieck theorem) Every holomorphic vector bundle on Riemann sphere $E \rightarrow \mathbb{C}P^1$ is holomorphically isomorphic to a direct sum of line bundles

$$E \cong_{\text{HolVecBun}(\mathbb{C}P^1)} \bigoplus_{i=1}^n \mathcal{O}_{a_i}$$

[1]

Current note has 0 direct children and 0 total descendants.

- stretchy
 - S^2 and $\mathbb{C}P^1$
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And it has 10 siblings.

- stretchy
 - S^2 and $\mathbb{C}P^1$
 - [Almost complex structure on \$S^2\$ induced from spherical metric and its area form](#)
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 - [Hamiltonian flows on the sphere \$S^2\$](#)

1. [Birkhoff–Grothendieck theorem](#) - Wikipedia ↩