

## Info

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# Embedding unit disk $D$ into $\mathbb{C}^3$

We shall construct  $f, g \in \mathcal{O}(D)$  such that

$$(\text{Id}, f, g) : D \rightarrow \mathbb{C}^3$$

is a proper holomorphic embedding.

[1]

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  - [space  \$\mathcal{O}\(U\)\$](#)
  - [space  \$\mathbb{C}\$](#)   $\mathcal{O}(\mathbb{C})$
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  - [space  \$D\$  closed](#)  $\mathcal{O}(\bar{D})$
  - [space  \$D\$  cnt bd](#)  $\mathcal{O}(D) \cap \mathcal{C}(\bar{D})$
  - [space  \$D\$   \$L^2\$](#)   $\mathcal{O} \cap L^2(D)$
  - [space  \$H\$](#)   $\mathcal{O}^p(H^2_{\bar{D}})$
  - [space  \$L\_p\$](#)   $\mathcal{O} \cap L^p$
  - [space  \$S^1\$](#)   $\mathcal{O}(S^1)$
  - [zeros and singularities](#) Zeros and singularities of holomorphic functions
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